## Math Lab: Graphing Quadratic Equations in Vertex Form

## What are the characteristics of the parent graph of a quadratic function?

Complete the table and plot the points to sketch the graph of $\boldsymbol{y}=\boldsymbol{x}^{2}$.

| $x$ | $y=x^{2}$ |
| :---: | :---: |
| -3 |  |
| -2 |  |
| -1 |  |
| 0 |  |
| 1 |  |
| 2 |  |
| 3 |  |



The shape of a quadratic function is called a U-shaped graph called a $\qquad$ .

The highest or lowest point on the curve is the $\qquad$ . On the parent graph it is located at the $\qquad$ .

The $\qquad$ is the vertical line passing through the vertex. The domain of $y=x^{2}$ is $\qquad$ and the range is $\qquad$ .

How do you graph a quadratic function in vertex (transformation) form?
The transformations we learned for absolute value functions work the same way for quadratic functions, EXCEPT that you can only use the a-value as the slope from the vertex to the point one unit right and left of the vertex.

$$
y=a(x-h)^{2}+k
$$

| Reflection | Dilations | Horizontal Translations | Vertical Translations |
| :---: | :---: | :---: | :---: |
| $a>0$ opens up | $\|a\|>1$ narrows the graph | $(x-h)$ shifts right h units | $-k$ shifts down k units |
| $a<0$ opens down <br> (reflection over the x -axis) | $\|a\|<1$ widens the graph | $(x+h)$ shifts left h units | $+k$ shifts up k units |

A] $y=-(x-1)^{2}+2$
B] $y=\frac{1}{2}(x+1)^{2}$


Domain:
Range:

C] $y=2 x^{2}-3$


Domain:
Range:

