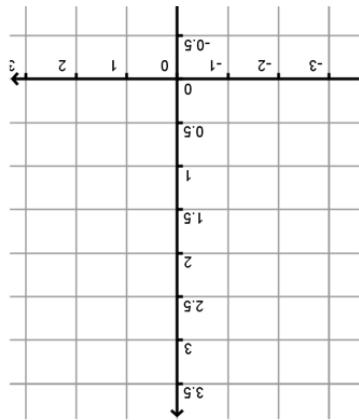


Example 3 Application problem

A woodland jumping mouse hops along a parabolic path given by the model $y = -0.2x^2 + 1.3x$, where x is the mouse's horizontal position (in feet) and y is the corresponding height (in feet). Can the mouse jump over a fence that is 3 feet high?



Graphing in the form $y = ax^2 + c$

Is the vertex a max

VerteX:

Axes of symmetry:

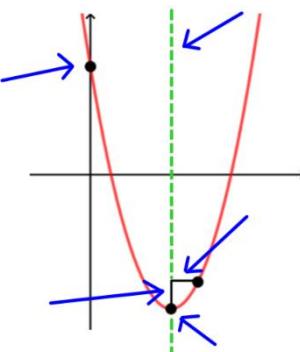
7

$$=c \quad =q \quad =a \quad -\frac{2}{1}x^2 + 3 = \lambda$$

Graphing Quadratics

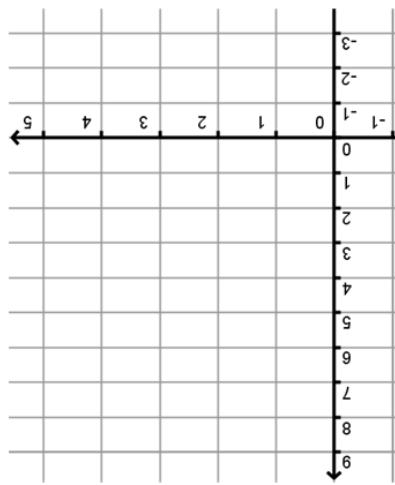
Standard Form

$$y = ax^2 + bx + c$$



Use "a" to find points 1 unit to the right and left of the vertex. Since the vertex is also the y-intercept, you can't reflect it to find another guide point. Instead, use another value for x to find a point and then reflect it over the axis of symmetry.

Reflect the y-limit over the x-axis of symmetry to find another point. Use "a" to find points 1 unit to the right and left of the vertex.



Graphing in the form $y = ax^2 + bx + c$

Axes of symmetry:
Opens up or down?

$$=c =q =v$$

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$$y = 2x^2 - 8x + 6$$

c

Example 1

- The axis of symmetry is $x = \underline{\hspace{2cm}}$.
 - The vertex has x-coordinate $\underline{\hspace{2cm}}$. Substitute x back in to find y.
 - The parabola opens up when $a \underline{\hspace{0.5cm}} 0$ and opens down when $a \underline{\hspace{0.5cm}} 0$.
 - The y-value of the vertex is a $\underline{\hspace{2cm}}$ when the parabola opens up and a $\underline{\hspace{2cm}}$ when the parabola opens down.
 - The y-intercept is located at $(0, \underline{\hspace{2cm}})$.
 - The parabola is narrower than the parent graph $y=x^2$ if $|a| \underline{\hspace{0.5cm}} 1$ and wider if $|a| \underline{\hspace{0.5cm}} 1$.
 - The slope $\underline{\hspace{2cm}}$ will find points on the parabola that are 1 unit to the right and left of the vertex.